

# Learning Linear Regression Equations with ``stat_regline_equation()`` in R and ggplot2

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## Introducing `stat_regline_equation()` for Enhanced Visualization

In the field of **data science** and statistical analysis, merely calculating metrics is often insufficient; effective visualization of relationships between variables is paramount for clear communication. Within the [R](#) programming environment, analysts overwhelmingly rely on the robust [ggplot2](#) package to construct detailed [scatterplots](#). A frequent and critical requirement is the ability to seamlessly integrate the mathematical equation of the fitted **regression line** directly onto this visual output. This integration provides crucial quantitative context, instantly transforming a standard plot into a comprehensive statistical summary that validates the observed graphical trend.

The task of displaying the precise equation of a fitted [linear regression](#) model is significantly simplified through specialized packages. The most efficient and recommended approach involves utilizing the powerful `stat_regline_equation()` function. This utility is a core component of the highly versatile [ggpubr](#) package, which is specifically engineered to help users generate graphics optimized for publication and professional reporting in R.

The primary value proposition of `stat_regline_equation()` lies in its automation. It calculates the necessary coefficients from the underlying statistical model, formats the resulting regression equation neatly, and positions it intelligently within the plot area. This capability drastically reduces the effort compared to manually extracting coefficients from a model summary and then annotating the plot using text functions. The following tutorial provides a thorough walkthrough, demonstrating how to integrate and deploy `stat_regline_equation()` effectively to produce high-quality, informative statistical graphics.

## Prerequisites and Package Installation

Before we dive into the visualization steps, it is essential to ensure that your current [R](#) session is properly equipped with the necessary statistical and graphical libraries. Since the key functionality for automatically deriving and displaying the regression equation is not native to the base [ggplot2](#) package, the dedicated [ggpubr](#) package must be installed and loaded first. Completing this preliminary step guarantees that the `stat_regline_equation()` function is recognized by the R interpreter and ready to execute when called.

If [ggpubr](#) is not already present on your system, you must run the installation command below in your R console. This process fetches the package from the [CRAN \(Comprehensive R Archive Network\)](#) and integrates it into your local library structure. It is important to remember that while installation is typically a one-time process per system, the package must be explicitly loaded into memory using the `library()` function every time you start a new R session where you plan to use its features.

```
install.packages('ggpubr')
```

Once the [ggpubr](#) package has been successfully installed, we can proceed to the next stage: preparing our sample data and fitting the statistical model we intend to visualize. When we reach the plotting stage, we will need to explicitly call the `library()` function for both **ggplot2** and **ggpubr** to ensure that all necessary functions are immediately accessible for creating the combined graphic.

## Preparing the Data and Fitting the Model

To effectively demonstrate the utility of `stat_regline_equation()`, we will start by simulating a simple dataset within R. This dataset, structured as a data frame, is designed to exhibit a clear and strong [linear relationship](#), which is ideal for regression analysis. We define **x** as our [predictor variable](#) (independent variable) and **y** as our [response variable](#) (dependent variable), based on the hypothesis that changes in **y** are explained by changes in **x**. The careful construction of this data frame is the foundational step for all subsequent modeling and visualization.

The following R code snippet executes two critical actions: first, it creates the data frame named `df` using hard-coded values; second, it displays the contents of `df` in the console. Reviewing this output confirms the structure and ensures that the paired values for the predictor and response variables are correct before we proceed to the formal statistical modeling stage.

**#create data frame**

```
df <- data.frame(y=c(6, 7, 7, 9, 12, 13, 13, 15, 16, 19, 22, 23, 23, 25, 26),  
x=c(1, 2, 2, 3, 4, 4, 5, 6, 6, 8, 9, 9, 11, 12, 12))
```

**#view data frame**

```
df
```

```
y x
```

```
1 6 1
```

```
2 7 2
```

```
3 7 2
```

```
4 9 3
```

```
5 12 4
```

```
6 13 4
```

```
7 13 5
```

```
8 15 6
```

```
9 16 6
```

```
10 19 8
```

```
11 22 9
```

```
12 23 9
```

```
13 23 11
```

14 25 12

15 26 12

With the data frame established, our next logical step is to formally fit a simple [linear regression](#) model. We employ the standard R function, `lm()` (for linear model), designating **x** as the independent [predictor variable](#) and **y** as the dependent [response variable](#). The `lm()` function performs the necessary calculations to find the line that minimizes the sum of squared residuals, effectively determining the "best-fit" line that represents the trend in the data points.

The comprehensive output generated by the `summary(model)` command is critical, offering detailed insights into the model's performance, statistical significance (p-values), and variability. Most importantly for our visualization objective, it provides the exact numerical values for the intercept and the slope (coefficient for x). These coefficients form the precise algebraic backbone of the regression equation that `stat_regline_equation()` will subsequently display on the plot.

**#fit linear regression model to data frame**

**model <- lm(y~x, data=df)**

**#view model summary**

`summary(model)`

Call:

`lm(formula = y ~ x, data = df)`

Residuals:

Min 1Q Median 3Q Max

-1.4444 -0.8013 -0.2426 0.5978 2.2363

Coefficients:

Estimate Std. Error t value Pr(>|t|)

(Intercept) 4.20041 0.56730 7.404 5.16e-06 \*\*\*

x 1.84036 0.07857 23.423 5.13e-12 \*\*\*

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Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 1.091 on 13 degrees of freedom

Multiple R-squared: 0.9769, Adjusted R-squared: 0.9751

F-statistic: 548.7 on 1 and 13 DF, p-value: 5.13e-12

Based on the numerical estimates for the intercept and the coefficient for **x** provided in the model summary, we can manually articulate the fitted regression equation. This formula encapsulates the

mathematical relationship detected between the two variables and is exactly what the visualization function will automatically calculate and format for display:

$$y = 4.20041 + 1.84036(x)$$

## Basic Visualization with `stat_regline_equation()`

With the statistical model fitted, our immediate priority shifts to visualization. We must generate a [scatterplot](#) using the layers of [ggplot2](#) to map the distribution of our raw data points (x versus y). Concurrently, we must introduce `stat_regline_equation()` to automatically compute and display the derived regression equation. This two-pronged approach instantly conveys both the visual distribution trend and the precise algebraic relationship, substantially enhancing the reader's grasp of the statistical findings.

To begin, we must load the necessary libraries: `ggplot2` and `ggpubr`. We then initiate the plot using the `ggplot()` function, setting the aesthetic mappings (`aes(x, y)`) to define which variables correspond to the axes. The data points are added using the `geom_point()` layer. Crucially, we then incorporate `stat_regline_equation()` as an additional layer. This function is designed to analyze the underlying data structure, perform the implicit [linear regression](#) fit, and neatly position the resulting equation on the graphic.

```
library(ggplot2)
```

```
library(ggpubr)
```

```
#create plot to visualize fitted linear regression model
```

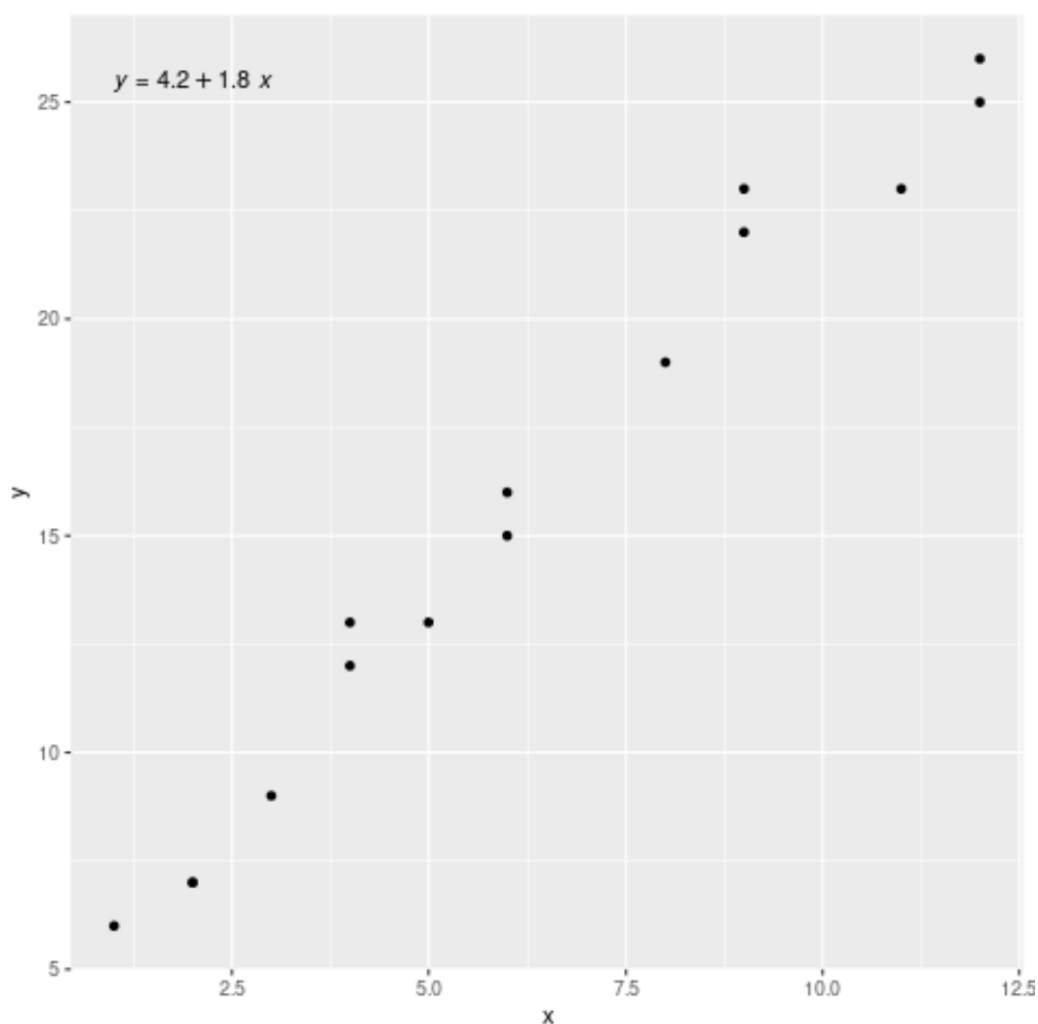
```
ggplot(df, aes(x, y)) +
```

```
geom_point() +
```

```
stat_regline_equation()
```

The execution of the code above generates our initial [scatterplot](#). As intended, the `stat_regline_equation()` function correctly interprets the relationship between **x** and **y**, calculates the regression equation, and displays it prominently--by default, in the upper left corner of the plotting area. This immediate, automatic feedback confirms that the function is correctly implemented and aligned with the statistical assumptions of the data.

This produces the following plot:



## Enhancing the Plot with the Regression Line

While displaying the algebraic equation is incredibly useful for statistical rigor, a complete visualization of a [linear regression](#) analysis requires drawing the actual fitted line that corresponds to that equation through the data points. This line serves as the graphical representation of the mathematical model, allowing viewers to immediately gauge the direction and magnitude of the relationship. To incorporate this visual element, we must add the [geom\\_smooth\(\)](#) function, a feature within [ggplot2](#) designed for adding smoothed conditional means or fitted regression lines.

When utilizing [geom\\_smooth\(\)](#) alongside [stat\\_regline\\_equation\(\)](#), a specific and crucial argument must be supplied: setting **method='lm'** within the [geom\\_smooth\(\)](#) call. This explicit instruction directs [ggplot2](#) to fit a **linear model** (lm) to the data points. Failure to include this argument might lead [geom\\_smooth\(\)](#) to default to a non-linear smoothing technique, such as [LOESS](#) (Locally Estimated Scatterplot Smoothing). If this occurred, the drawn line would not align with the equation calculated by [stat\\_regline\\_equation\(\)](#), resulting in a confusing and statistically

misleading graphic.

By integrating [geom\\_smooth\(method='lm'\)](#) into our existing plot syntax, we achieve a highly unified and informative visualization. This final graphic now includes the raw data, the statistically derived fitted line, the critical [confidence interval](#) (indicated by the shaded area), and the precise algebraic equation defining the line. This comprehensive approach maximizes both the clarity and the statistical integrity of the report.

```
library(ggplot2)
```

```
library(ggpubr)
```

```
#create plot to visualize fitted linear regression model
```

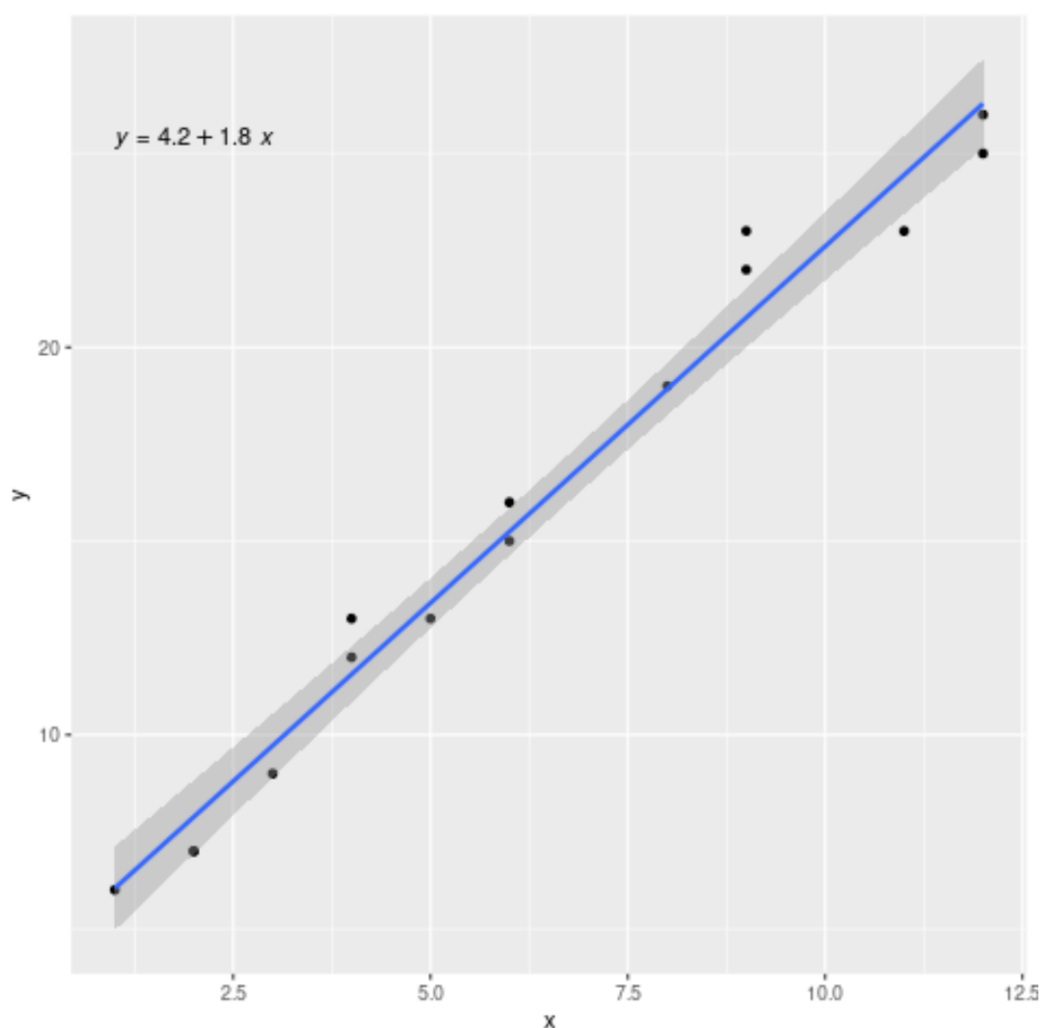
```
ggplot(df, aes(x, y)) +
```

```
geom_point() +
```

```
geom_smooth(method='lm') +
```

```
stat_regline_equation()
```

This produces the following plot:



The resulting plot clearly showcases the linear regression line alongside the shaded area representing the model's standard error and [confidence interval](#). Critically, the fitted regression equation remains prominently displayed in the top left corner, ensuring perfect numerical synchronization with the visual line. This combined graphical and numerical output sets the standard for professional statistical reporting in R.

## Additional Resources for R Visualization

Mastery of the advanced visualization techniques available through [ggplot2](#) and complementary packages, such as **ggpubr**, is fundamental for effective **data storytelling**. The `stat_regline_equation()` function is just one example of the specialized utilities available to elevate your statistical graphics far beyond simple raw data plots.

We highly recommend that analysts seeking to deepen their expertise in data visualization and statistical modeling explore the extensive documentation and additional functions offered within

both the [ggplot2](#) and `ggpubr` libraries. Understanding how to customize visual elements, apply different plot themes, and integrate other crucial statistical metrics--such as the [R-squared value](#)--will significantly improve the quality and persuasive power of your analytical reports.

The following tutorials explain how to perform other common statistical and visualization tasks in the [R](#) environment:

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